

## Homework 6: hand in before or with your squib

- DYNAMIC SEMANTICS PRACTICE. Give LFs and node-by-node derivations (ignoring VP-internal subjects) for the following two texts. For text (2), you should assume that negation out-scopes the object DP. In each case, say whether binding was achieved. Discuss whether your result for (2) is a good one.

- (1) John likes Mary<sub>1</sub>, and she<sub>1</sub> is French.
- (2) John doesn't like Mary<sub>1</sub>, and she<sub>1</sub> is French.

Use the following meanings ( $\pi$  abbreviates  $\langle a, \langle a, t \rangle \rangle$ , the type of relations on assignment functions, and  $\mathbb{Q}$  abbreviates  $\langle \langle e, \pi \rangle, \pi \rangle$ , the type of scope-taking DPs). In some cases these meanings differ from those provided in class (this is to help keep your calculations as simple as possible).

Node	Meaning	Type
John	$j$	$e$
like	$\lambda \mathbb{Q}. \lambda y. \mathbb{Q} \left( \lambda x. \lambda g. \begin{cases} \{g\} & \text{if } like'(x)(y) \\ \emptyset & \text{else} \end{cases} \right)$	$\langle \mathbb{Q}, \langle e, \pi \rangle \rangle$
Mary <sub>1</sub>	$\lambda P. \lambda g. P(m)(g^{[m/1]})$	$\langle \langle e, \pi \rangle, \pi \rangle$
is French	$\lambda x. \lambda g. \begin{cases} \{g\} & \text{if } french'(x) \\ \emptyset & \text{else} \end{cases}$	$\langle e, \pi \rangle$
she <sub>1</sub>	$\lambda P. \lambda g. P(g(1))(g)$	$\mathbb{Q}$
and	$\lambda r. \lambda l. \lambda g. \{h : k \in l(g), \text{ and } h \in r(k)\}$	$\langle \pi, \langle \pi, \pi \rangle \rangle$
doesn't	$\lambda P. \lambda x. \lambda g. \begin{cases} \{g\} & \text{if } P(x)(g) = \emptyset \\ \emptyset & \text{else} \end{cases}$	$\langle \langle e, \pi \rangle, \langle e, \pi \rangle \rangle$

**Bonus:** redo one of the above derivations with an indefinite like *a linguist* in place of *Mary*.

- BINDING RECONSTRUCTION. Though you may not have noticed, moving assignments into the model theory (i.e. allowing them to live in the domains and ranges of functions) has a startling consequence: whereas before, we could not give an account of binding reconstruction, now we can!

- (3) [Himself<sub>i</sub>]<sub>j</sub>, John<sub>i</sub> likes  $t_j$ .

Show how our dynamic theory of anaphora can be used to derive the indicated reading of (3) (without relying on accidental coreference). Give an LF and a detailed derivation. As ever, you shouldn't attempt to QR *John* over *himself* (the grammar will be angry). In addition to the meaning for *likes* given in the previous problem, you'll need the following pieces:

Node	Meaning	Type
himself <sub>n</sub> , $t_n$	$\lambda P. \lambda g. P(g(n))(g)$	$\mathbb{Q}$
$\mathcal{T}_n$	$\lambda P. \lambda g. g(n)(P)(g)$	$\mathbb{Q}$
$n$	$\lambda \mathcal{R}. \lambda v. \lambda g. \mathcal{R}(g^{[v/n]})$	$\langle \pi, \langle \sigma, \pi \rangle \rangle$ , for <b>any</b> $\sigma$

A plan of attack:

- ▷ Think about our old approach to semantic reconstruction. Notice in this respect that the meaning given for the abstraction index  $n$  allows its second argument  $\nu$  to be of *any* type  $\sigma$ . In other words, this is a (less notationally cumbersome) version of the generalized notion of **PA** from earlier in the class.
- ▷ We also have a new type of trace,  $\mathcal{T}_n$ , which reverses the functor-argument relationship between  $P$  and  $g(n)$ .
- ▷ Work from the following tree (notice that I do not specify the types of the discourse referents; that is, for any  $n$  and  $g$ ,  $g(n)$  might be type  $e$  or type  $\mathbb{Q}$ ):

